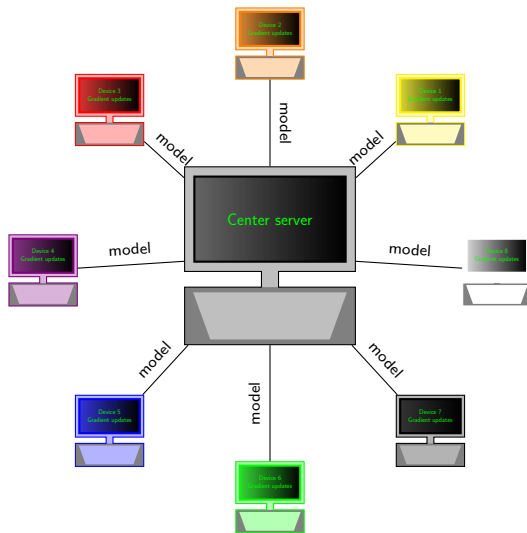


# Federated Learning

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2020

# What is the federated learning?



# Challenges in federated learning

- *Massively distributed*. The number of mobile device owners is massively bigger than average of the number of training samples on each device.
- *Unbalanced*. Some users produce significantly more data than others.
- *Non-IID*. The data generated by each user are quite different.

## Problem description

Let us consider the following distributed optimization model in which  $N$  clients cooperatively solve

$$\min_w f(w) = \min_w \sum_{k=1}^N p_k f_k(w)$$

where  $p_k$  be the weight of  $k$ -th device ,  $p_k \geq 0$ ,  $\sum_{i=1}^N p_k = 1$ . The  $k$ -th client has  $n_k$  training data which is denoted  $x_{k,1}, \dots, x_{k,n_k}$ . The local generalization error function are defined by

$$f_k(w) = \frac{1}{n_k} \sum_{j=1}^{n_k} \ell(w; x_{k,j})$$

where  $\ell$  is a user loss function of the prediction.

# Federated Averaging Algorithms

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**Algorithm 1:** FederatedAveraging(FedAvg).

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**Server executes:** Initialization  $w_0$  ;

**for** each round  $t = 1, 2, \dots$  **do**

$m \leftarrow \max(C \cdot K, 1)$

$S_t \leftarrow$  (random set of  $m$  client)

**for** each client  $k \in S_t$  **do**

$w_{t+1}^k \leftarrow$  ClientUpdate( $k, w_t$ );

**end**

$w_{t+1} \leftarrow \sum_{k=1}^K \frac{n_k}{n} w_{t+1}^k$ ;

**end**

**ClientUpdate( $k, w$ ):**

$B \leftarrow$  (split  $P_k$  into batches of size  $B$ )

**for** each local epoch **do**

**for** batch  $b \in B$  **do**

$w \leftarrow w - \eta \nabla l(w; b)$

**end**

## Real data: MNIST

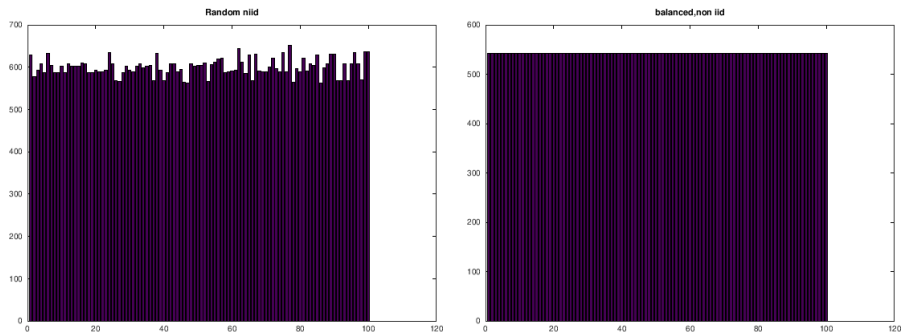
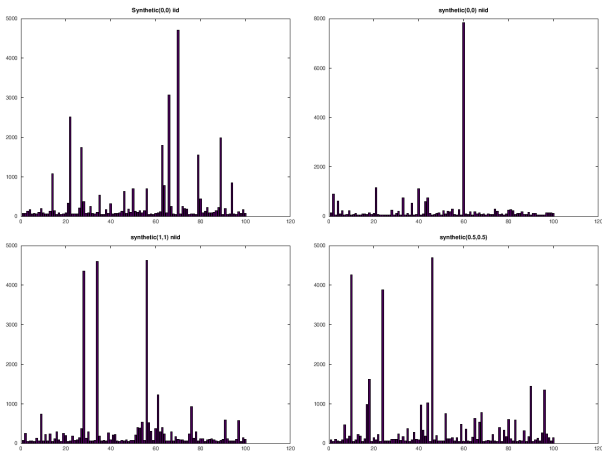


Figure. Unbalanced (left) and balanced (right) data distribution

# Experiments-Input



Figure[1.2]. Synthetic data with  $(\alpha, \beta) = (0, 0)$ -iid,  $(\alpha, \beta) = (0, 0)$ -niid,  $(\alpha, \beta) = (1, 1)$ -niid,  $(\alpha, \beta) = (0.5, 0.5)$ -niid

## 2NN

(fc1): Linear( input features=784, output features=200, bias=True)

(fc2): Linear( input features=200, output features=200, bias=True)

(fc3): Linear(input features=200, output features=10, bias=True)

## CNN

(conv1): Conv2d(1, 32, kernel size=(5, 5), stride=(1, 1))

(conv2): Conv2d(32, 64, kernel size=(5, 5), stride=(1, 1))

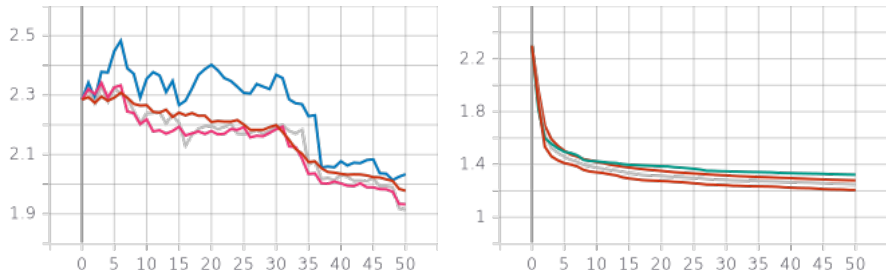
(fc 1): Linear(input features=1024, output features=512, bias=True)

(fc 2): Linear(input features=512, output features=10, bias=True)



# Experiments-Results

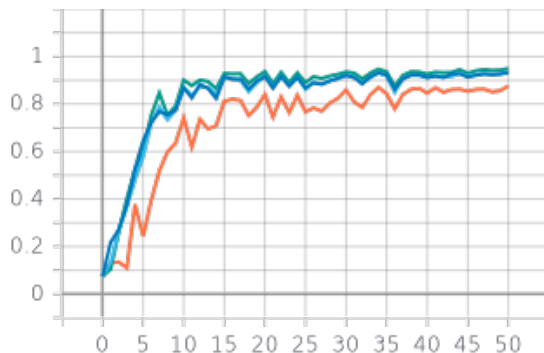
Synthetic(0,0) iid (right) and non-iid (left) dataset,  
 $B = 64$ ,  $T = 50$ ,  $lr = 0.01$ ,  $E = 5$ , model is 2NN. The value of  $C$  in the set  $\{5/100, 10/100, 20/100, 50/100\}$ . The horizontal axis is the train loss.



Figure[3.1]. Impact of  $C$

# Experiments-Results

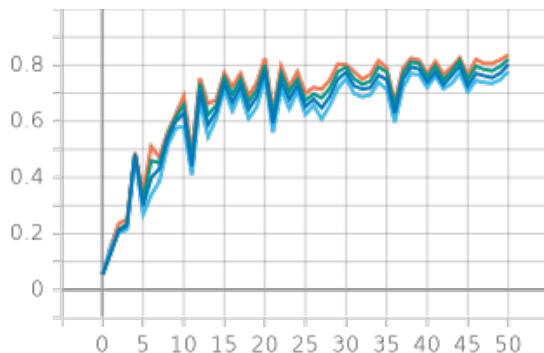
MNIST unbalanced non-iid dataset,  
 $C = 5/100, B = 64, T = 50, lr = 0.01$ , model is CNN. The value of  $E$  in the set  $\{2, 5, 10, 20\}$ . The horizontal axis is the train accuracy.



Figure[3.2]. Impact of  $E$

# Experiments-Results

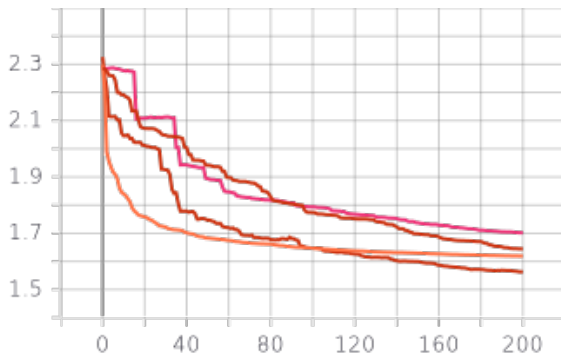
To evaluate the impact of batch size, we examine on MNIST balanced non-iid dataset,  $C = 10/100$ ,  $T = 50$ ,  $lr = 0.01$ , model is 2NN. The value of  $B$  in the set  $\{16, 32, 64, 128\}$ . The horizontal axis is the test accuracy.



Figure[3.3]. Impact of B

# Experiments-Results

**Impact of balancedness.** Synthetic data with  $(\alpha, \beta) = (0, 0)$ -iid,  $(\alpha, \beta) = (0, 0)$ -niid,  $(\alpha, \beta) = (1, 1)$ -niid,  $(\alpha, \beta) = (0.5, 0.5)$ -niid  
 $C = 10/100$ ,  $B = 64$ ,  $T = 50$ ,  $lr = 0.01$ ,  $E = 5$ , model is CNN. The horizontal axis is the test loss.



Figure[3.4]. Impact of unbalancedness

THANK YOU FOR YOUR ATTENTION!